



last two digits of each entry, skipping an entry if it gives a number already chosen. (If the two digits are 00 then that counts as 100.) Here is the simple random sample I get: 69, 7, 38, 8.

[6] Explain how to select a 30% independent sample from the whole numbers running from 1 to 10, using the table on page 570. What sample do you get? Explain in enough detail that I can verify that your sample is the one you should have gotten.

Answer: Randomly pick a starting entry in the table, say, as luck would have it, again the entry in row 2 column 4 (which is 64569). Then read down that column, counting out loud from 1 to 10 as you go. Every time the last two digits of the entry gives a number between 1 and 30 inclusive, the number you counted out loud is selected. The results are given in the following table, where the first column gives the count from 1 to 10, the second column gives the corresponding table entry, the third column gives its last two digits and the fourth column indicates whether we select the number in the first column or not:

1	64569	69	do not select 1
2	17707	07	do select 2
3	60638	38	do not select 3
4	93608	08	do select 4
5	78545	45	do not select 5
6	39445	45	do not select 6
7	50784	84	do not select 7
8	33358	58	do not select 8
9	36246	46	do not select 9
10	17068	68	do not select 10

Our 30% independent sample is thus {2, 4}.

[7] A farmer who wants to assess the level of pest infestation in her orchard is considering several different sampling methods. For each of (a) through (d), indicate what sampling technique it corresponds to (choose your answers from among independent sampling, simple random sampling, systematic sampling or cluster sampling).

(a) Randomly select a tree and then move row by row through the orchard, selecting every 15th tree for inspection.

Answer: systematic sampling

(b) For each tree flip a coin; if the coin lands heads, inspect the tree.

Answer: independent sampling

(c) Number the rows of trees, randomly select a certain number of rows, and inspect every tree in those rows.

Answer: cluster sampling

(d) Each tree is numbered and a random sample of those numbers is chosen to select the trees to be inspected.

Answer: simple random sampling

[8] Consider the data 7, 8, 8, 1, 5, 6, 6, 9, 11, 20.

(a) Find the mean of this data.

$$(7 + 8 + 8 + 1 + 5 + 6 + 6 + 9 + 11 + 20)/10 = 81/10 = 8.1$$

(b) Find the median of this data.

First put the data in order: 1, 5, 6, 6, 7, 8, 8, 9, 11, 20. The median is  $(7+8)/2 = 7.5$

(c) Find the mode(s) of this data.

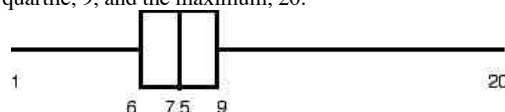
6 and 8 are the modes (i.e., occur the most)

(d) Find the range of this data.

the range is  $20 - 1 = 19$ .

(e) Create and label a box and whisker plot of this data.

The five number summary is the minimum, 1, the first quartile, 6, the median, 7.5, the third quartile, 9, and the maximum, 20.



(f) Find the sample standard deviation of this data.

the variance is

$$[(1-8.1)^2 + (5-8.1)^2 + (6-8.1)^2 + (6-8.1)^2 + (7-8.1)^2 + (8-8.1)^2 + (8-8.1)^2 + (9-8.1)^2 + (11-8.1)^2 + (20-8.1)^2]/(10-1) = 24.544, \text{ so the sample standard deviation is the square root of this, or about } 4.95.$$