Math 314, Matrix Theory, Course Syllabus, Fall 2016

Textbook: Linear Algebra and Its Applications, by David C. Lay, S. R. Lay, J. J. McDonald, 5th Ed. The following table shows the material expected to be covered and the corresponding tentative problem assignments for each week of the semester. Note that what is shown here is approximate; please be alert for changes throughout the semester.

Systems of Linear Equations Row Reduction and Echelon Forms Vector Equations The Matrix Equation $A\mathbf{x} = \mathbf{b}$ Solution Sets of Linear Systems Applications Appl	day 1, 3, 5, 7, 8, 9, 13, 14, 15, 17, 19, 21, 22, 23, 24, 28, 30 1, 2, 3, 5, 7, 9, 11, 13–16, 19, 21, 22, 32, 33, 34 1, 5, 7, 8, 13, 15, 17, 22–25, 38 1, 3, 5, 7–11, 15, 16, 19, 22, 24 1, 3, 5, 7, 8, 9, 10, 13, 20, 21, 23, 24, 29, 31, 32, 33 1–7(odd), 11, 12, 13, 16, 17, 19, 22, 33, 37 3, 5, 9, 11, 19
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The Inverse of a Matrix Characterization of Invertible Matrices Matrix Fractorizations tch Up and Review idterm Exam I is Monday, September 2 Introduction to Determinants Properties of Determinants Vector Spaces and Subspaces Null Spaces, Column spaces Linearly Independent Sets; Bases	1, 3, 5, 7, 8, 9, 10, 13, 20, 21, 23, 24, 29, 31, 32, 33 1–7(odd), 11, 12, 13, 16, 17, 19, 22, 33, 37 3, 5, 9, 11, 19 6 1–13 (odd), 39, 40 1–8, 11, 15, 18, 19, 25, 27, 28, 31 1–15, 17, 19, 20, 21, 23, 24, 25, 27 1, 2, 3, 5, 7, 11, 12, 15, 17, 19, 20, 21, 25–28, 30, 35
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Idterm Exam I is Monday, September 2 Introduction to Determinants Properties of Determinants Vector Spaces and Subspaces Null Spaces, Column spaces Linearly Independent Sets; Bases	$\begin{array}{c} 113 \ (\mathrm{odd}), \ 39, \ 40 \\ 18, \ 11, \ 15, \ 18, \ 19, \ 25, \ 27, \ 28, \ 31 \\ 115, \ 17, \ 19, \ 20, \ 21, \ 23, \ 24, \ 25, \ 27 \\ 1, \ 2, \ 3, \ 5, \ 7, \ 11, \ 12, \ 15, \ 17, \ 19, \ 20, \ 21, \ 2528, \ 30, \ 35 \end{array}$
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Properties of Determinants Vector Spaces and Subspaces Null Spaces, Column spaces Linearly Independent Sets; Bases	$\begin{array}{c} 1-8,\ 11,\ 15,\ 18,\ 19,\ 25,\ 27,\ 28,\ 31 \\ 1-15,\ 17,\ 19,\ 20,\ 21,\ 23,\ 24,\ 25,\ 27 \\ 1,\ 2,\ 3,\ 5,\ 7,\ 11,\ 12,\ 15,\ 17,\ 19,\ 20,\ 21,\ 25-28,\ 30,\ 35 \end{array}$
Vector Spaces and Subspaces Null Spaces, Column spaces Linearly Independent Sets; Bases	1-15, 17, 19, 20, 21, 23, 24, 25, 27 1, 2, 3, 5, 7, 11, 12, 15, 17, 19, 20, 21, 25–28, 30, 35
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Diagonalization of Symmetric Matrices Quadratic Forms	1, 0, 0, 1, 0, 11, 12, 10, 11, 10, 40
Diagonalization of Symmetric Matrices	•
t i	Eigenvectors and Linear Transformations Complex Eigenvalues tch Up and Review dterm Exam II is Monday, November of Inner Product, Length and Orthogonality Orthogonal Sets day, November 11 is the last day to withdraw Orthogonal Projections Applications The Gram-Schmidt Process Least-Squares Problems anksgiving vacation is November 23-No Diagonalization of Symmetric Matrices Quadratic Forms

Ace Outcome 3: This course satisfies ACE Outcome 3: "Use mathematical, computational, statistical, or formal reasoning (including reasoning based on principles of logic) to solve problems, draw inferences, and determine reasonableness." Your instructor will provide examples, you will discuss them in class, and you will practice with numerous homework problems. The exams will test how well you've mastered the material.? The final exam will be the primary means of assessing your achievement of ACE Outcome 3.

ADA Notice: Students with disabilities are encouraged to contact the instructor for a confidential discussion of their individual needs for academic accommodation. It is the policy of the University of Nebraska-Lincoln to provide flexible and individualized accommodation to students with documented disabilities that may affect their ability to fully participate in course activities or to meet course requirements. To receive accommodation services, students must be registered with the Services for Students with Disabilities (SSD) office [www.unl.edu], 132 Canfield Administration, 472-3787 voice or TTY.

Course Evaluation: The Department of Mathematics Course Evaluation Form will be available through your Blackboard account during the last two weeks of class.? You'll get an email when the form becomes available.? Evaluations are anonymous and instructors do not see any of the responses until after final grades have been submitted.? Evaluations are important—the department uses evaluations to improve instruction.? Please complete the evaluation and take the time to do so thoughtfully.

Departmental Grading Appeals Policy: Students who believe their academic evaluation has been prejudiced or capricious have recourse for appeals to (in order) the instructor, the departmental chair, the departmental appeals committee, and the college appeals committee.

You are not allowed to have on your person during exams any device that can access the internet or communicate in any way. Cellphones, Apple watches, etc. should be put away in backpacks/purses.